

CHAPTER

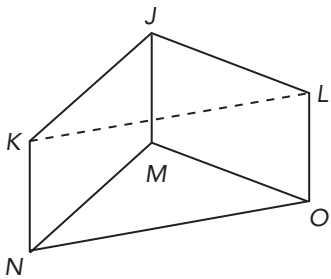


Surface Area and Volume of Solids

Lesson 12.1 Nets of Solids

Name each prism. In each prism, identify a base, a face, an edge, and a vertex.

1.



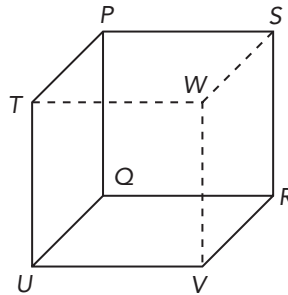
Base = _____

Face = _____

Edge = _____

Vertex = _____

2.



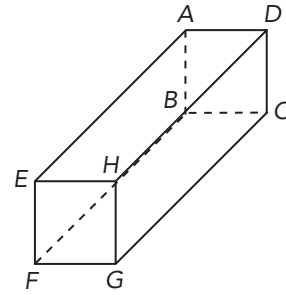
Base = _____

Face = _____

Edge = _____

Vertex = _____

3.



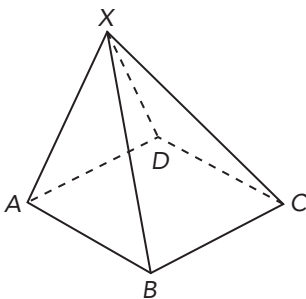
Base = _____

Face = _____

Edge = _____

Vertex = _____

4.



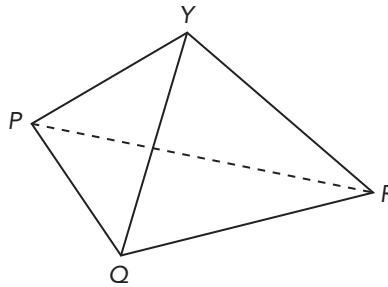
Base = _____

Face = _____

Edge = _____

Vertex = _____

5.



Base = _____

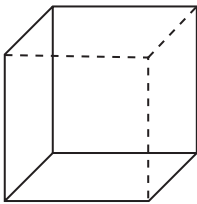
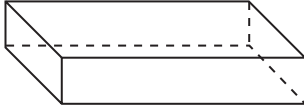
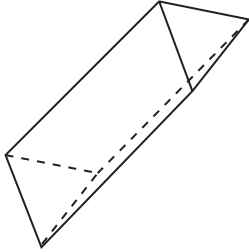
Face = _____

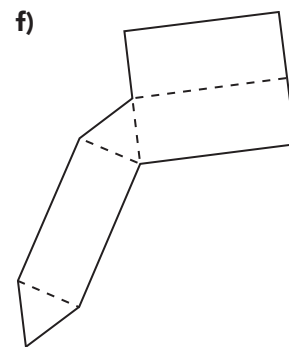
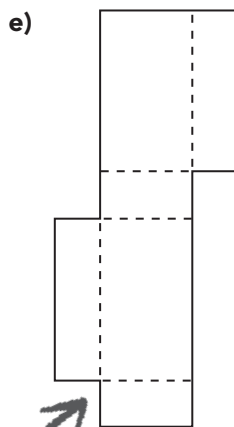
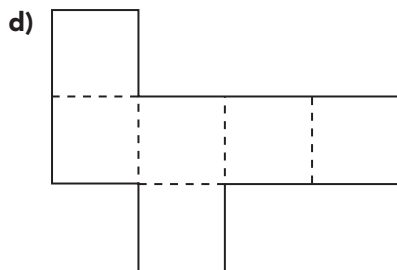
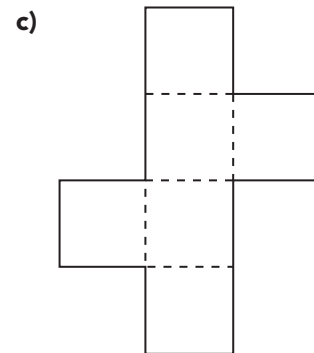
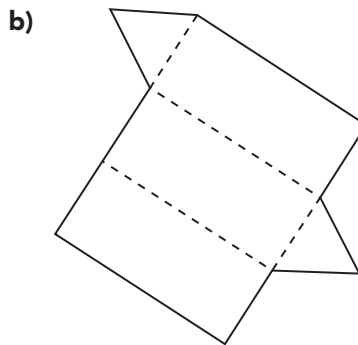
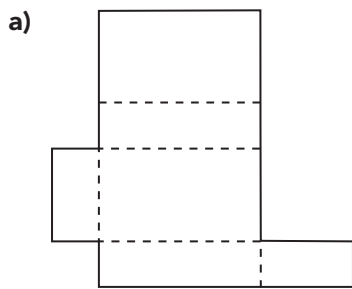
Edge = _____

Vertex = _____

Match each solid with its net(s). There may be more than one net of each solid.

Example

Solid			
Net	<i>c, d</i>	<i>a, e</i>	<i>b, f</i>

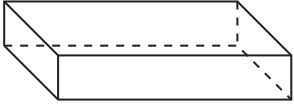
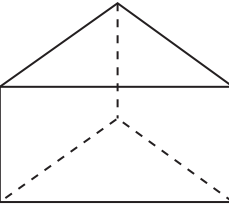
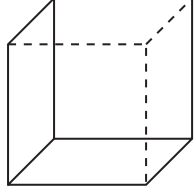


A **net** is a plane figure that can be folded to make a solid. This is a net.

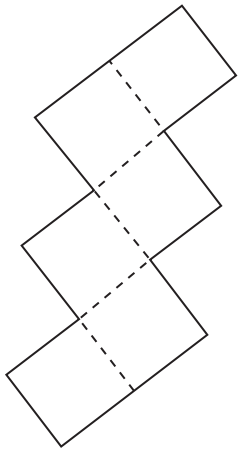
Name: _____

Date: _____

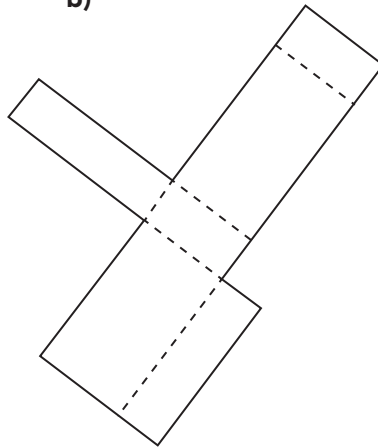
6.

Solid			
Net			

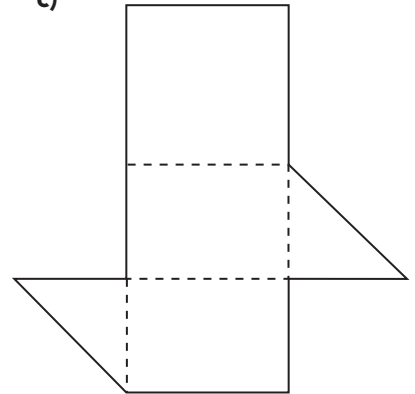
a)



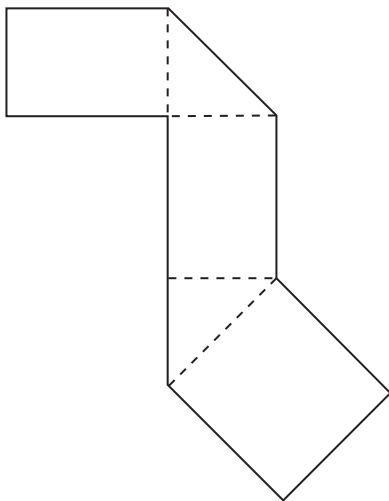
b)



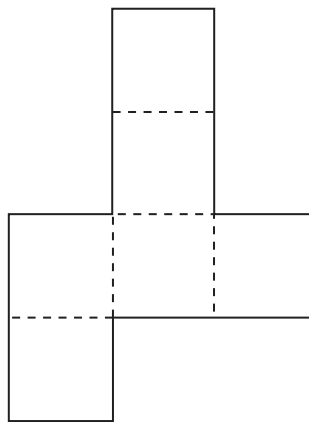
c)



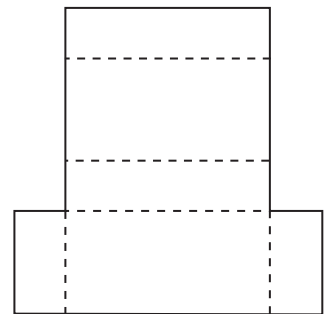
d)



e)



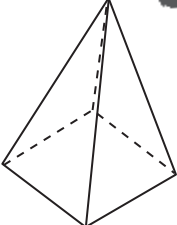
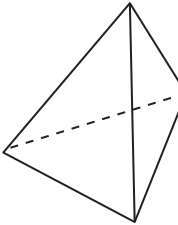
f)

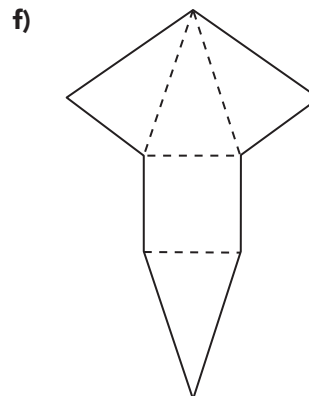
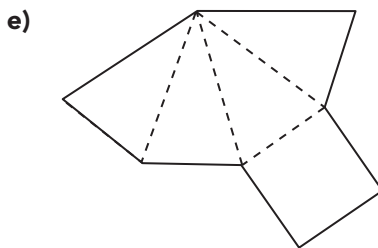
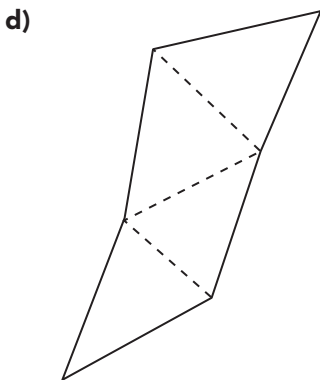
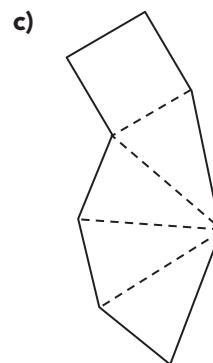
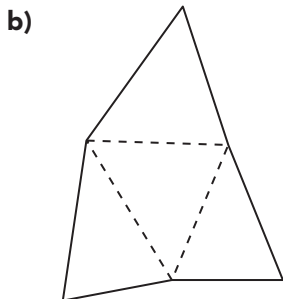
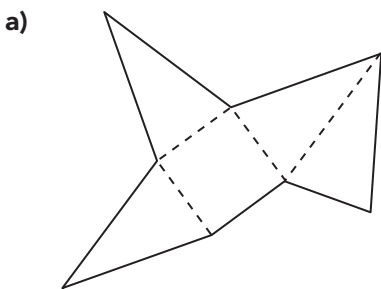


Match each solid with its net(s). There may be more than one net of each solid.

Example

A **pyramid** is a solid whose base is a polygon and whose other faces are triangles that share a common vertex. This pyramid has a square base. It is a square pyramid.

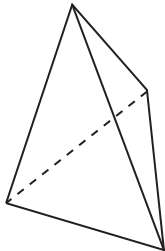
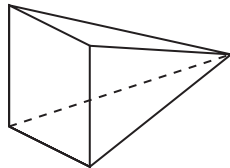
Solid		
Net	<i>a, c, e, f</i>	<i>b, d</i>



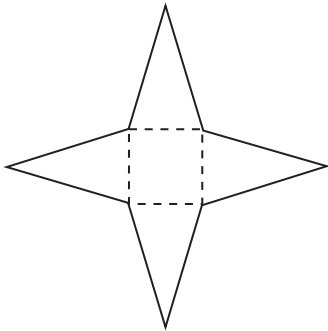
Name: _____

Date: _____

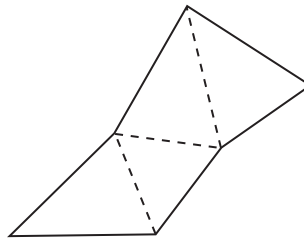
7.

Solid		
Net		

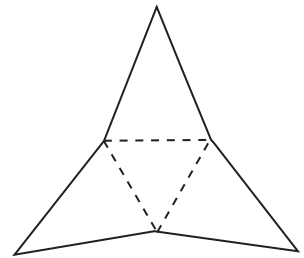
a)



b)



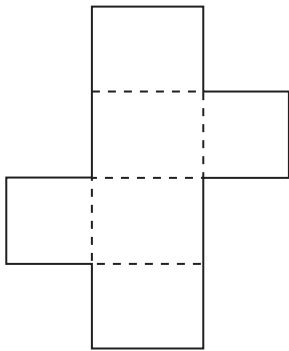
c)



Name the solid that each net forms.

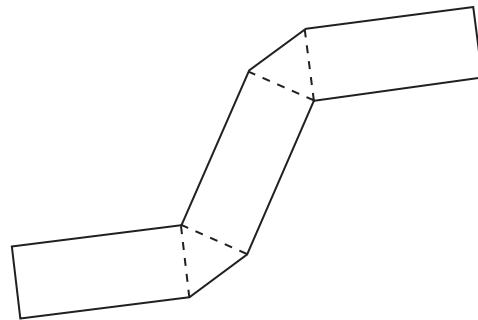
Example

a)



rectangular prism

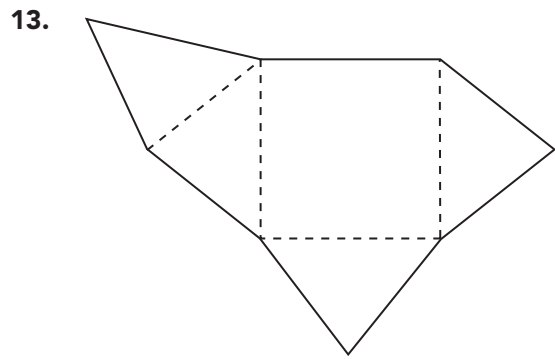
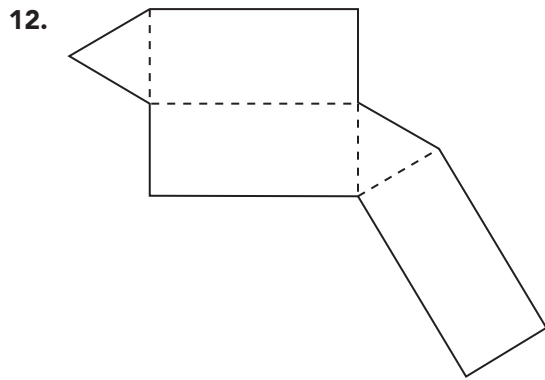
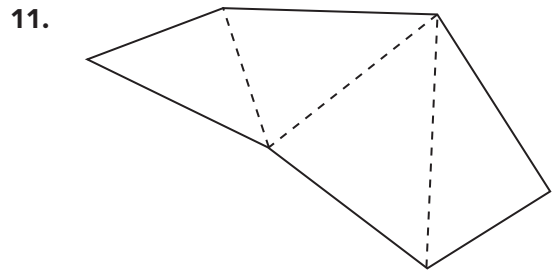
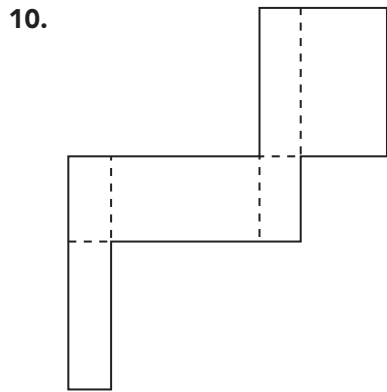
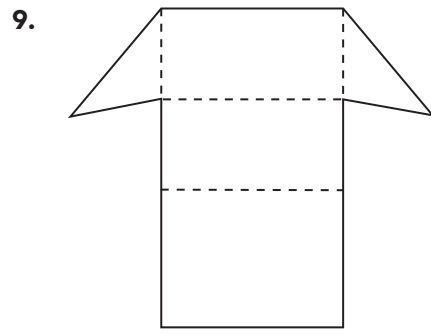
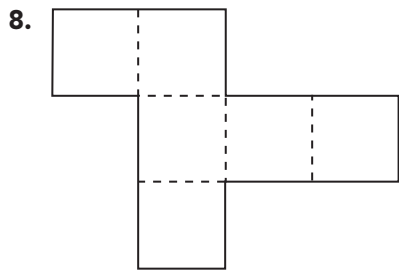
b)



triangular prism

Name: _____

Date: _____



10. a) Distance turned by gear A
 $= 3 \cdot \pi d$
 $\approx 3 \cdot 3.14 \cdot 18$
 $= 169.56$ m
 Distance each turned by gears B and C is the same as the distance turned by gear A.
 Total distance
 $= 3 \cdot 169.56$
 $= 508.68$ m
 ≈ 508.7 m
 The total distance the three gears turn is approximately 508.7 meters.
- b) 150 toys are produced when gear A makes 2.5 revolutions.
 $150 \text{ toys} \rightarrow 2.5 \text{ revolutions}$
 $9,000 \text{ toys} \rightarrow \frac{2.5}{150} \times 9,000$
 $= 150 \text{ revolutions}$
 Gear A will make 150 revolutions.
11. a) 47.1 inches
 b) 40.5 minutes
 c) 1,440 revolutions
12. a) Area of two large semicircles
 $= 2 \cdot \frac{1}{2} \cdot \pi r^2$
 $\approx 1 \cdot 3.14 \cdot 15 \cdot 15$
 $= 706.5 \text{ cm}^2$
 Area of 16 small semicircles
 $= 16 \cdot \frac{1}{2} \cdot \pi r^2$
 $\approx 8 \cdot 3.14 \cdot 3 \cdot 3$
 $= 226.08 \text{ cm}^2$
 Area of rectangle = ℓw
 $= 2 \cdot \text{radius of small semicircle} \cdot 8 \cdot 30$
 $= 16 \cdot 3 \cdot 30$
 $= 1,440 \text{ cm}^2$
 Area of placemat
 $= 706.5 + 226.08 + 1,440$
 $= 2,372.58 \text{ cm}^2$
 The area of the placemat is approximately 2,372.58 square centimeters.
- b) The designer takes 25 minutes to dye 6 placemats.
 $6 \text{ placemats} \rightarrow 25 \text{ min}$
 $1,500 \text{ placemats} \rightarrow \frac{25}{6} \times 1,500$
 $= 6,250 \text{ min}$
 He needs at least 6,250 minutes.
13. a) 8,139 square feet
 b) 8 hours

Chapter 12

Lesson 12.1

- Answers vary. Sample:
 Base = MNO
 Face = JKNM
 Edge = MO
 Vertex = J
- Answers vary. Sample:
 Base = PQRS
 Face = TUVW
 Edge = WV
 Vertex = P
- Answers vary. Sample:
 Base = EFGH
 Face = HGCD
 Edge = AE
 Vertex = B
- Answers vary. Sample:
 Base = ABCD
 Face = XBC
 Edge = AX
 Vertex = X
- Answers vary. Sample:
 Base = PQR
 Face = YPQ
 Edge = YR
 Vertex = Y
- b, f; c, d; a, e
- b, c; a
- cube
- triangular prism
- rectangular prism
- triangular pyramid
- triangular prism
- square pyramid

Lesson 12.2

- Area = $\frac{8}{2} \times \frac{8}{2}$
 $= 64 \text{ in.}^2$
- Area = $\frac{12}{2} \times \frac{6}{2}$
 $= 72 \text{ cm}^2$
- Area = $\frac{1}{2} \times 18 \times 8$
 $= 72 \text{ m}^2$
- Area = $\frac{1}{2} \times 10 \times 14$
 $= 70 \text{ ft}^2$
- Area = $\frac{1}{2} \times 8 \times (20 + 12)$
 $= 128 \text{ ft}^2$